

**Distributed Operating Systems Lecture**

# **Security: Foundations, Security Policies, Capabilities**

**2014**

**Marcus Völz / Hermann Härtig**

# Can you trust your system?

- ... to protect your privacy / credentials / valuable data?
- ... to grant only trusted programs access to your data?
- ... to grant access to your data if / when and only if / when a trusted program needs it?

# Can you trust your system?

... to protect your privacy / credentials / valuable data?

... to grant only trusted programs access to your data?

... to grant access to your data if / when and only if / when a trusted program needs it?

- How you can trust your system.
- How you can assure that your system is trustworthy.

- trust developer / company
  - reputation
  - “I know the company so I can sue them if things go wrong”
- quality assuring processes
  - e.g., independent test and development team, documentation, ...
- certification
  - trust them because some experts said they are trustworthy
  - experts ensure that the company did their testing, ...
  - Examples:
    - ISO 9000
    - Common Criteria Security Evaluation
    - Arinc / DO 178b
- (formal verification)
  - mathematical proof of correctness
  - required as part of Common Criteria for EAL 7 (in parts), old BSI GISA

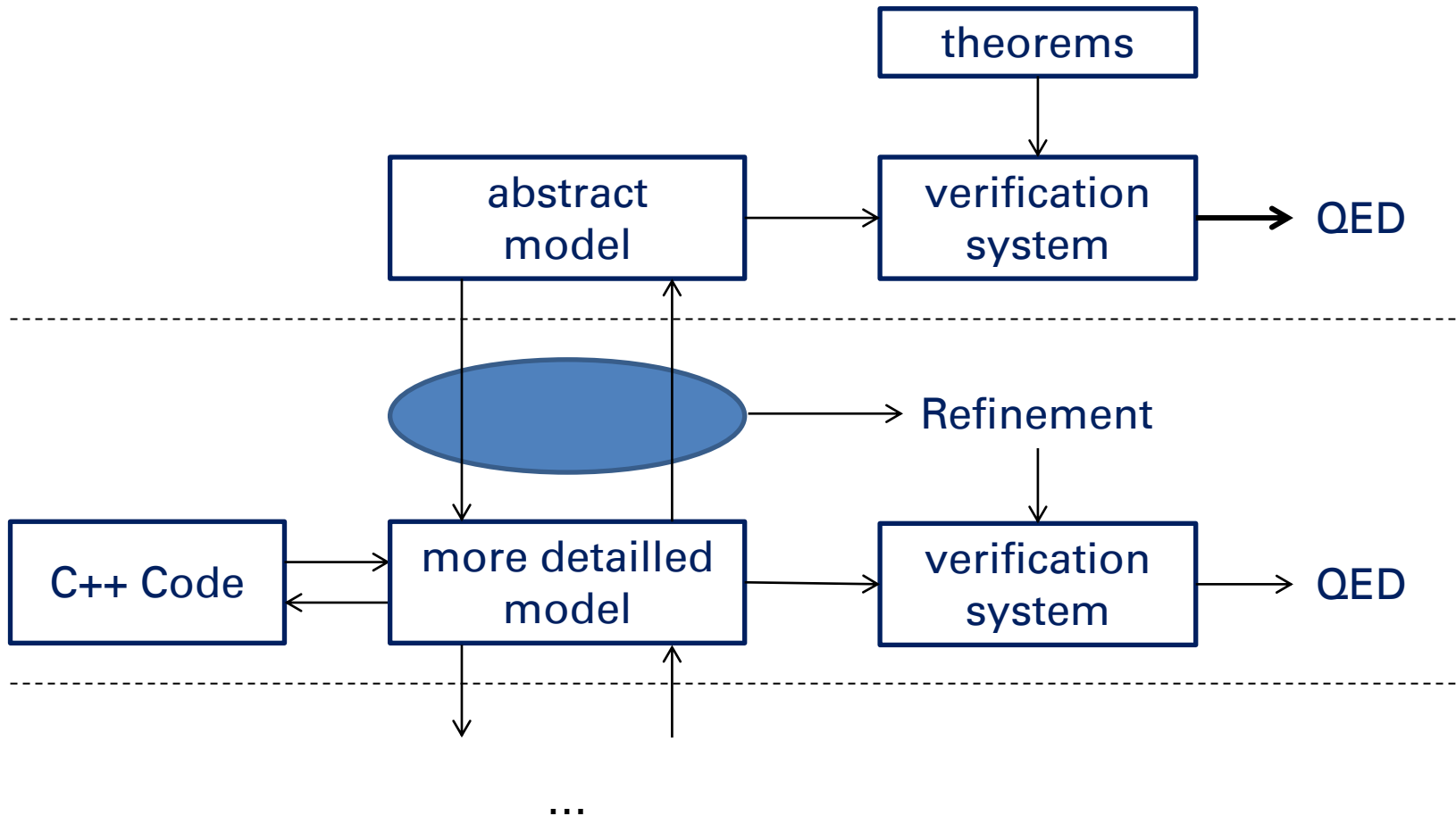
- Common Criteria (EAL 7)
  - Formal top level specification
  - Informal (through tests) correspondence of
  - source code to abstract specification
- GISA IT Security Evaluation Criteria (Q7)  
(old proposal for CC-EAL 7 from 1989)

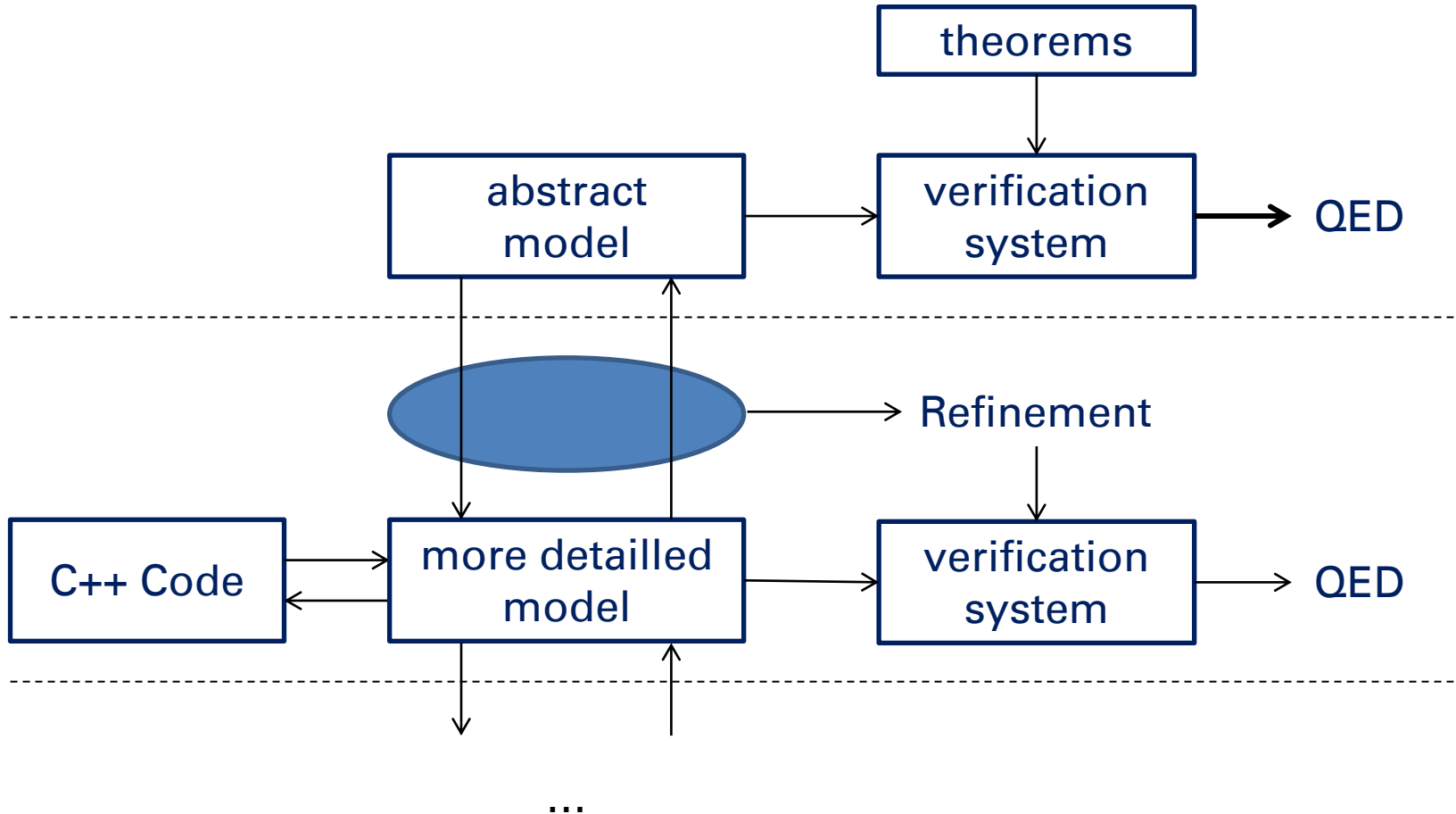
“The machine language of the processor used shall to a great extent be formally defined.”

“The consistency between the lowest specification level and the source code shall be formally verified.”

“The source code will be examined for the existence of covert channels, applying formal methods. It will be checked that all covert channels detected which cannot be eliminated are documented. [...]”

- Introduction
- Example Proof
- Security Policies
- Policy Enforcement Mechanisms
- Undecidability of Leakage
- Take-Grant Protection Model

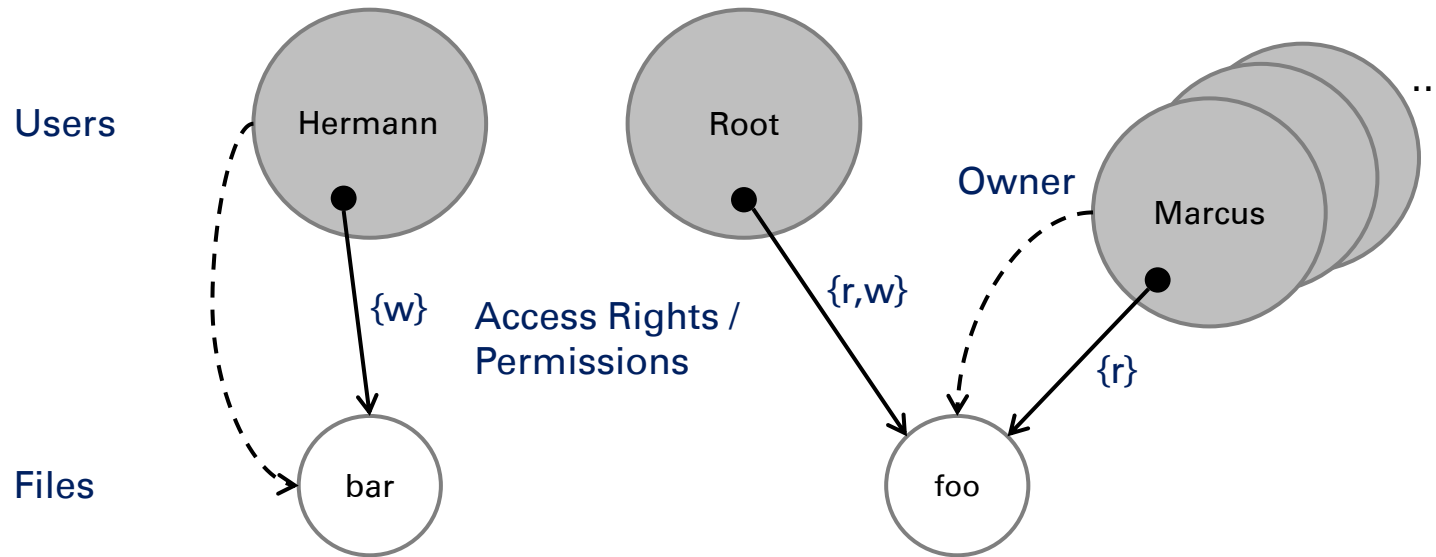




11 PY to verify a 10KLOC microkernel (seL4)

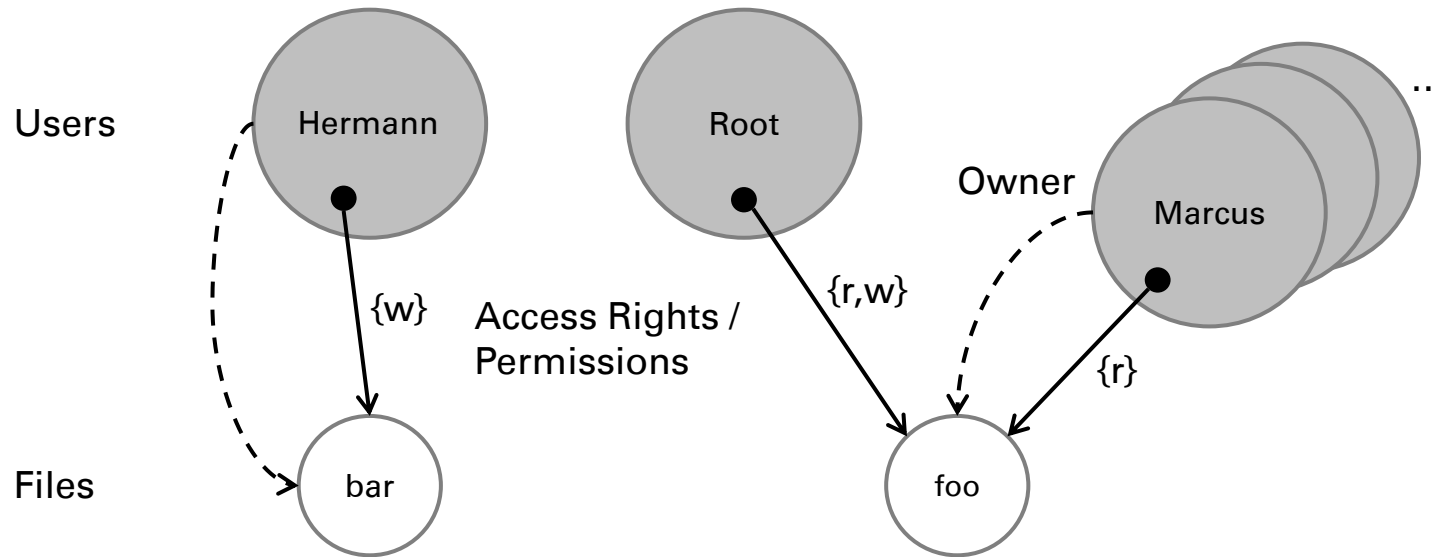


# Proving Security – an Example

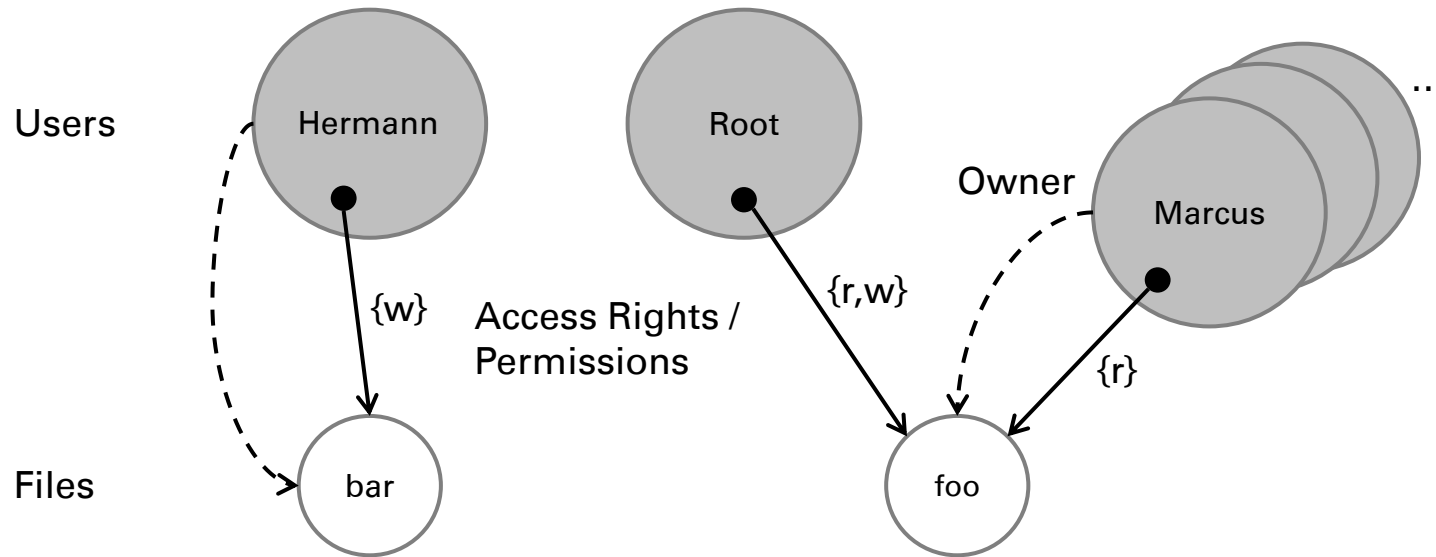


Operations: read, write, create / delete file, create / delete user, chmod

# Proving Security – an Example

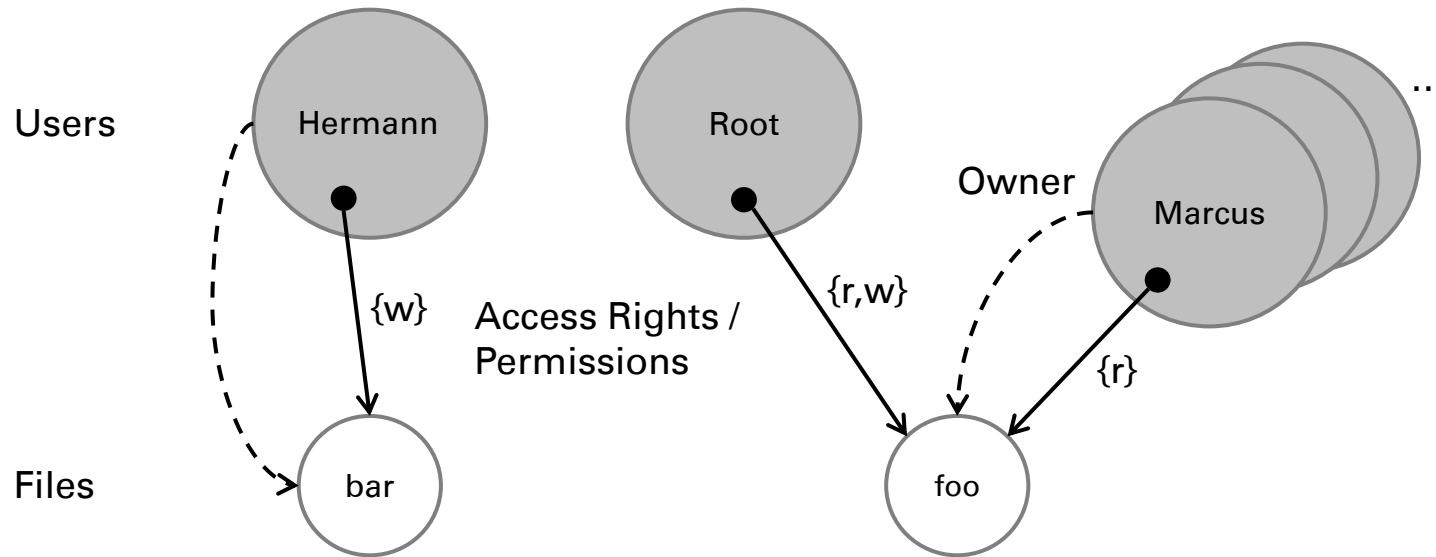


„Only the owner of a file or root shall obtain write permissions to a file.“



## 1<sup>st</sup> ingredient: abstract system model

- captures the details that are relevant for the theorem
- abstracts away all other details
- often characterized as states + state transitions



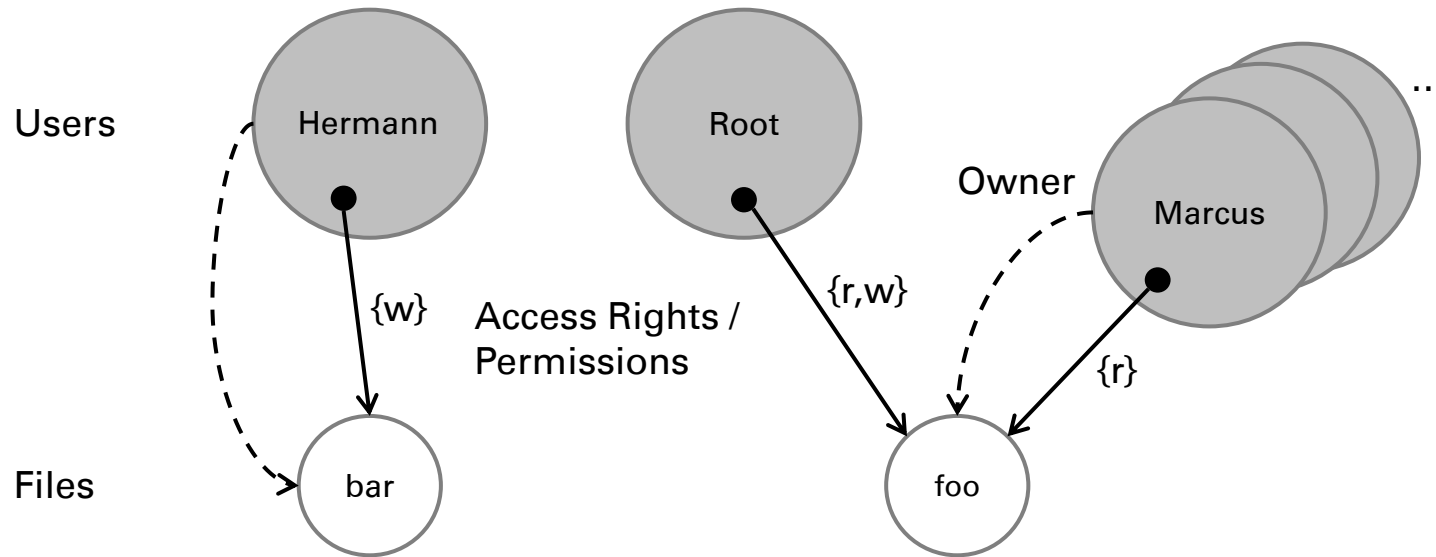
## 1<sup>st</sup> ingredient: abstract system model

– states:

$$\Sigma := \{ (U_{\text{life}}, F_{\text{life}}, \text{owner}, \text{rights}) \}$$

$$\sigma \in \Sigma := \{ \{ \text{root}, \text{hermann}, \text{marcus} \}, \{ \text{foo}, \text{bar} \}, \\ \{ (\text{bar}, \text{hermann}), (\text{foo}, \text{marcus}) \}, \\ \{ (\text{hermann}, \text{bar}, \{w\}), (\text{root}, \text{foo}, \{r,w\}), (\text{marcus}, \text{foo}, \{r\}) \} \}$$

$$\begin{aligned} // F_{\text{life}} &\rightarrow U_{\text{life}} \\ // F_{\text{life}} \times U_{\text{life}} &\rightarrow 2^R \end{aligned}$$



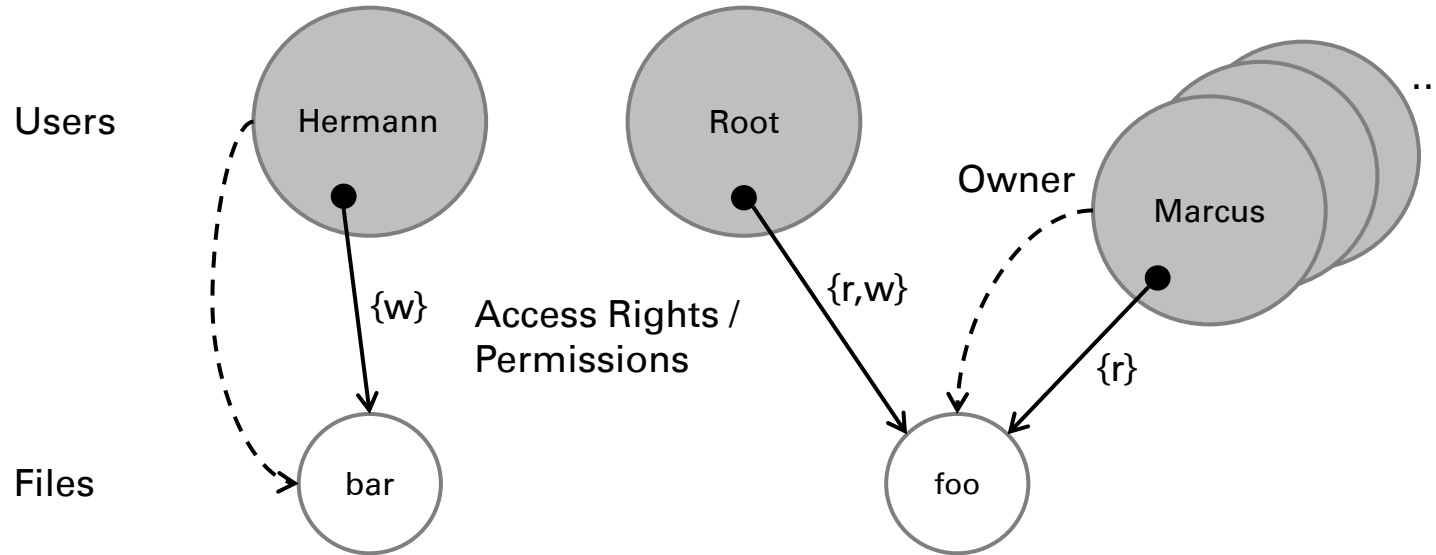
## 1<sup>st</sup> ingredient: abstract system model

- state transitions:

$$C := \Sigma \rightarrow \Sigma$$

read:  $\sigma \rightarrow \sigma$

delete(bar) :  $\sigma \rightarrow \{(\text{root}, \text{hermann}, \text{marcus}), \{\text{foo}, \text{bar}\}, \{\text{bar}, \text{hermann}\}, (\text{foo}, \text{marcus})\}, \{\text{hermann}, \text{bar}, \{w\}\}, (\text{root}, \text{foo}, \{r,w\}), (\text{marcus}, \text{foo}, \{r\})\}$



## 1<sup>st</sup> ingredient: abstract system model

- state transitions:

$$C := \Sigma \rightarrow \Sigma$$

read:  $\sigma \rightarrow \sigma$

u.delete(bar) :  $\sigma \rightarrow$  if  $u = \text{root} \vee u = \sigma.\text{owner}(\text{bar})$  then  
 ~~$\{(\text{root}, \text{hermann}, \text{marcus}), \{\text{foo}, \text{bar}\}, \{(\text{bar}, \text{hermann}), (\text{foo}, \text{marcus})\},$~~   
 ~~$\{(\text{hermann}, \text{bar}, \{\text{w}\}), (\text{root}, \text{foo}, \{\text{r,w}\}), (\text{marcus}, \text{foo}, \{\text{r}\})\}$~~   
 else  $\sigma$  endif

## 2<sup>nd</sup> ingredient: theorem

„Only the owner of a file or root shall obtain write permissions to a file.“

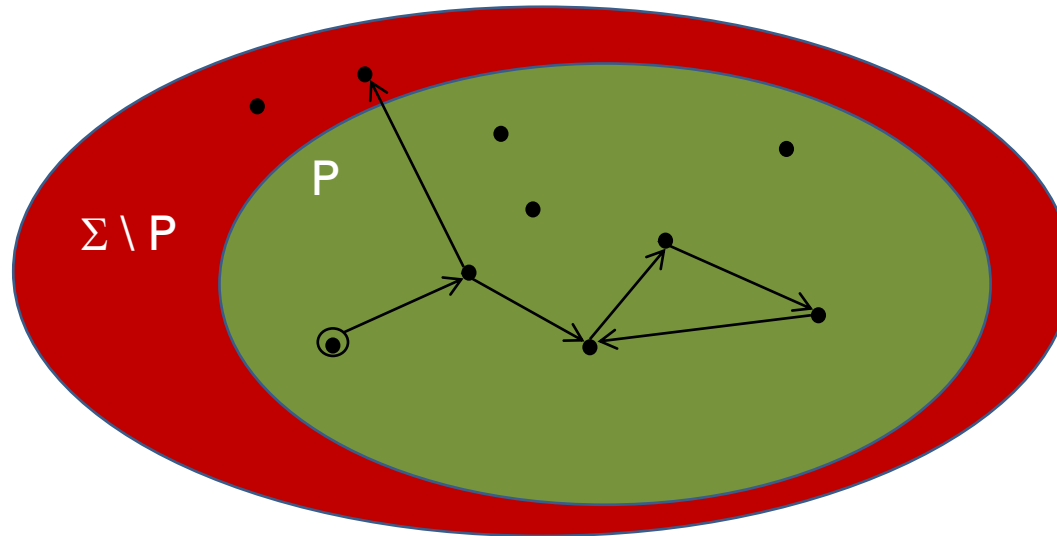
vs.

„Information in a file shall origin only from the owner of a file or from root.“

## 2<sup>nd</sup> ingredient: theorem

„Only the owner of a file or root shall obtain write permissions to a file.“

$$P : \Sigma \rightarrow \{\text{true}, \text{false}\}$$



secure wrt.  $P$  if  $\sigma_0 \in P$  and  $\Sigma_{\text{reachable}} \subseteq P$



## 2<sup>nd</sup> ingredient: theorem

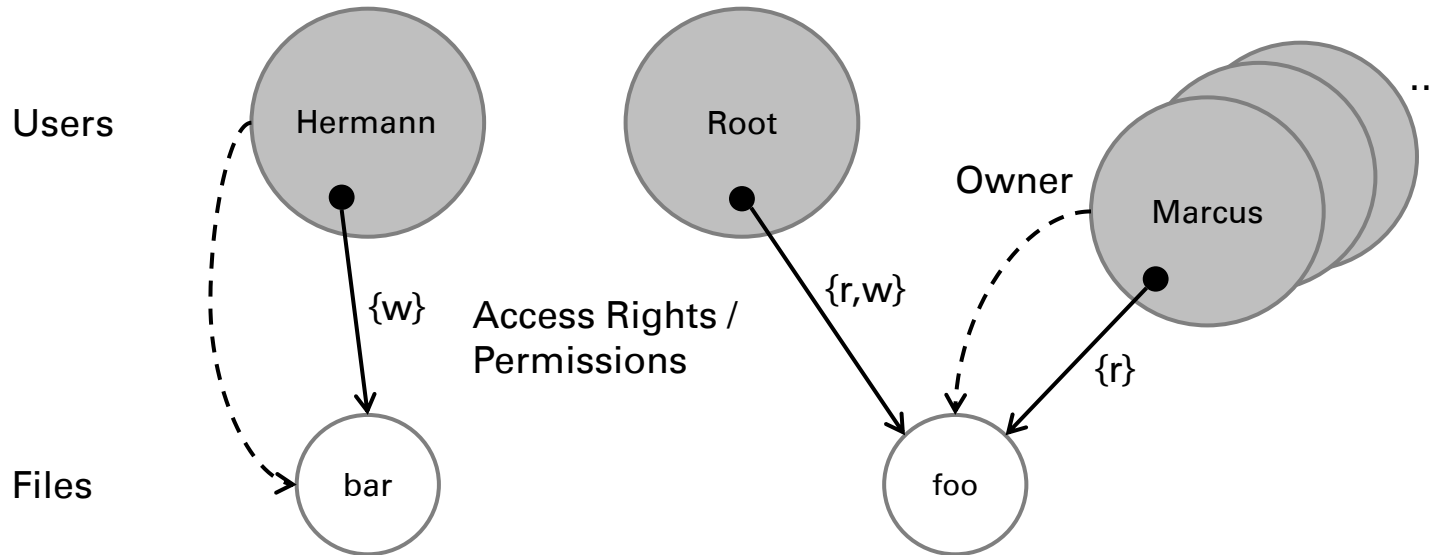
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$$P : \Sigma \rightarrow \{\text{true}, \text{false}\}$$

$$P(\sigma) := \forall f \in F_{\text{life}}, u \in U_{\text{life}}. w \in \sigma.\text{rights}(u,f) \Rightarrow \\ u = \text{root} \vee u = \sigma.\text{owner}(f)$$

## 3<sup>rd</sup> ingredient: proof

Theorem:  $\Sigma_{\text{reachable}} \subseteq P$

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Proof:

by induction over all traces

$$\sigma_0 \xrightarrow{u.c} \sigma \xrightarrow{u'.c'} \sigma' \xrightarrow{u''.c''} \sigma'' \xrightarrow{u'''.c'''} \sigma''' \dots$$

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Operations: read, write, create / delete file, create / delete user, chmod

induction step succeeds for read, ..., delete user

but

chmod(Marcus, bar, {w})

## 4<sup>th</sup> ingredient: refinement

```

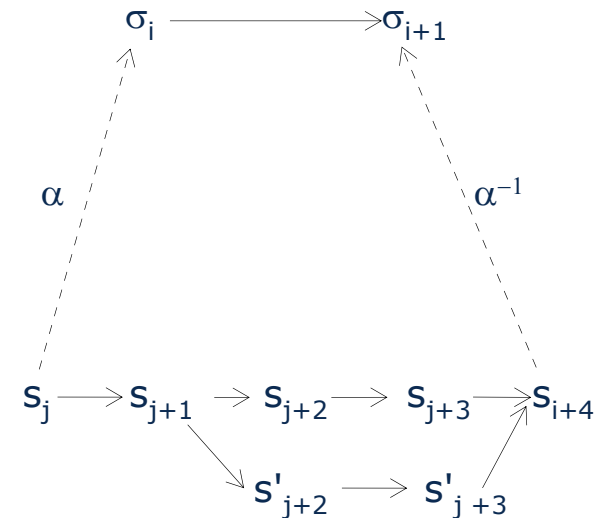
chmod(u, f, R)(s) :=
  if u = root v owner(f, u) then
    s with rights (u, f) := R
  else
    s
  endif

```

```

sys_chmod:
  parse_parameters();
  owner = file.owner;
  if (current_thread->user == root ||
      current_thread->user == owner)
  {
    file->set_acl(user, rights);
  }

```



- Introduction
- Example Proof
- **Security Policies**
- **Policy Enforcement Mechanisms**
- Undecidability of Leakage
- **Take-Grant Protection Model**

[Bishop: Computer Security Art and Science]

- **Security Policy**

A *security policy*  $P$  is a statement that partitions the states  $S$  of a system into a set of authorized (or secure) states (e.g.,  $\Sigma_{\text{sec}} := \{ \sigma \in \Sigma \mid P(\sigma) \}$ ) and a set of unauthorized (or non-secure) states.

- **Secure System**

A secure system is a system that starts in an authorized state and that cannot enter an unauthorized state (i.e.,  $\Sigma_{\text{reachable}} \subseteq \Sigma_{\text{sec}}$ )

## Confidentiality

prevent unauthorized disclosure of sensitive information (prevent information leakage).

### Definition:

Information or data  $I$  is *confidential* with respect to a set of entities  $X$  if no member of  $X$  can obtain information about  $I$ .

Example: the PIN of my EC-Card is XXXX



## Integrity

correctness of information or data

### Definition 1:

Information  $I$  is *integer* if it is current, correct and complete

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Either information is current, correct, and complete (Def 1) or it is possible to **detect** that these properties do not hold.

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Either information is current, correct, and complete (Def 1) or it is possible to **detect** that these properties do not hold.

## Recoverability

Eventually damaged information can be recovered.

## Availability

accessibility of information, services and data

### Definition:

A resource  $I$  is available with respect to  $X$  if all members of  $X$  can access  $I$ .

in practice, availability has also quantitative aspects:

- real-time systems:

$I$  is available within  $t$  milliseconds

- reliability:

the probability that  $I$  is **not** available is less than  $10^{-6}$

## Concern

- confidentiality e.g., Bell La Padula (Document Mgmt)
- integrity e.g., Biba (Inventory System)
- availability
- hybrid e.g., Chinese Wall (Clinical Information)

## Level of Enforcement

- **discretionary**

A user can allow or deny access to its objects

- **mandatory**

System-wide rules control who may access an object

Concern: confidentiality

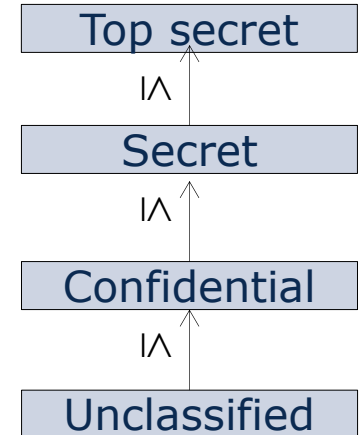
set of secrecy levels: L

higher secrecy level indicates more sensitive information; greater need to keep this information confidential

total order:  $\leq$

domain: Entity  $\rightarrow$  L

- each subject has a *security clearance*:  $\text{dom}(s) \in L$
- each object has a *security classification*:  $\text{dom}(o) \in L$



**Policy: (L,  $\leq$ , dom)**

rules for reading / writing

**simple security condition**

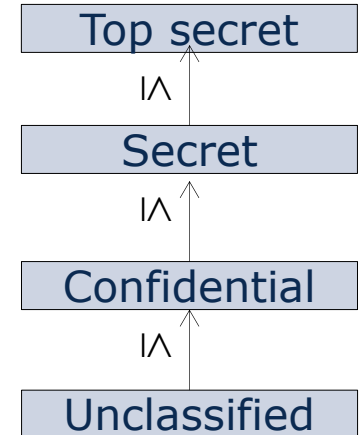
a subject  $s$  can read only lower or equally  
classified objects  $o$

$s$  can read  $o \iff \text{dom}(o) \leq \text{dom}(s)$

**\* - property**

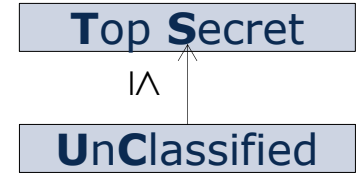
a subject  $s$  can write only higher or equally  
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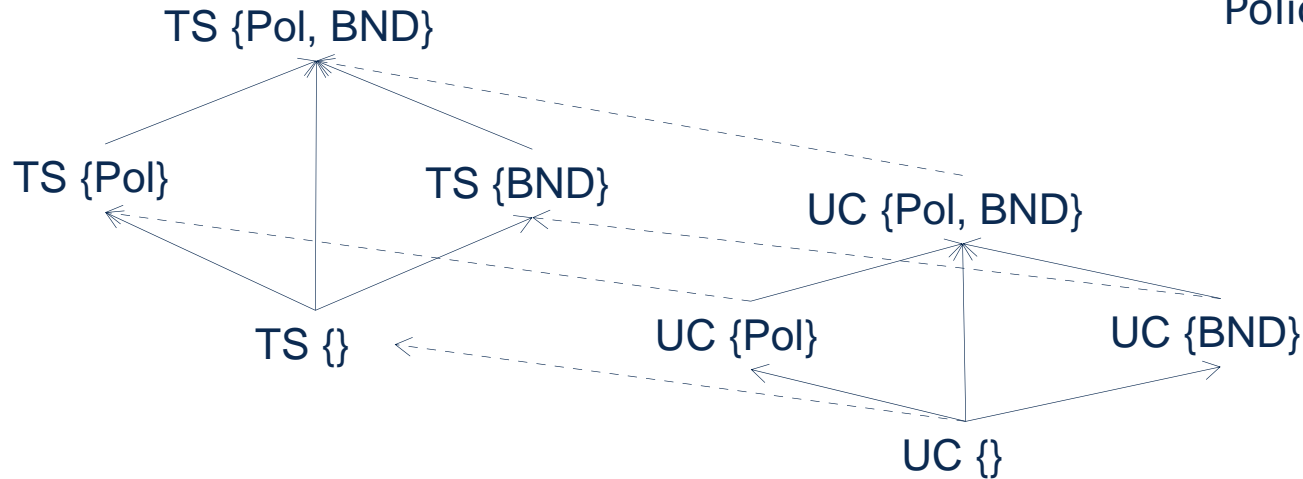


## Policy: $(L, \leq, \text{dom})$

$\leq$  is a partial order,  $(L, \leq)$  form a lattice



Categories:  
Police, BND



Bundesverfassungsschutzgesetz §17 - §26:

in general, no information exchange between the BND and the Police

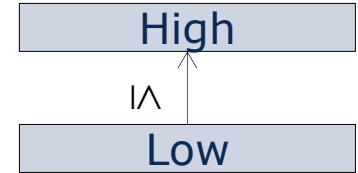


**Concern:** Integrity (prevent damage)

$(L, \leq, \text{dom})$  dual to MLS

high integrity information must not be tainted with low integrity data.

- $s$  can read  $o \iff \text{dom}(s) \leq \text{dom}(o)$
- $s$  can write  $o \iff \text{dom}(o) \leq \text{dom}(s)$

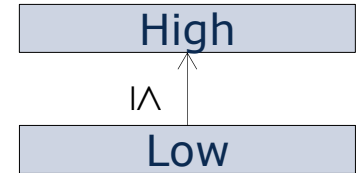


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- ~~s can read o  $\iff \text{dom}(s) \leq \text{dom}(o)$~~
- if s reads o then  $\text{dom}'(s) = \min(\text{dom}(s), \text{dom}(o))$
- s can write o  $\iff \text{dom}(o) \leq \text{dom}(s)$



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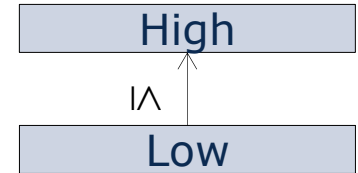
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- s can write o  $\iff \text{dom}(o) \leq \text{dom}(s)$

- **Problem:** label creep

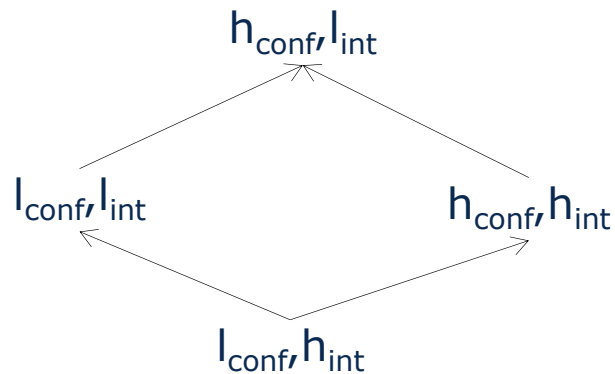
subject clearances decrease over time  
no means to "clean" a tainted subject



Confidentiality and integrity are dual and can be represented in the same lattice:

Confidentiality:  $l_{\text{conf}} \leq h_{\text{conf}}$

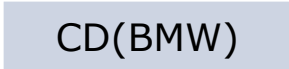
Integrity:  $h_{\text{int}} \leq l_{\text{int}}$



**Concern:** Conflict of interest (integrity + confidentiality)

Example: British stock exchange  
a trader must not represent two competitors

Company Datasets (CD):  
set of objects (files) related to a company



CD(BMW)

Conflict of Interest Class (COI):  
CDs of companies in competition



Sanitized Objects:  
cleared to the public



Subjects (e.g., the trader)



## \* property

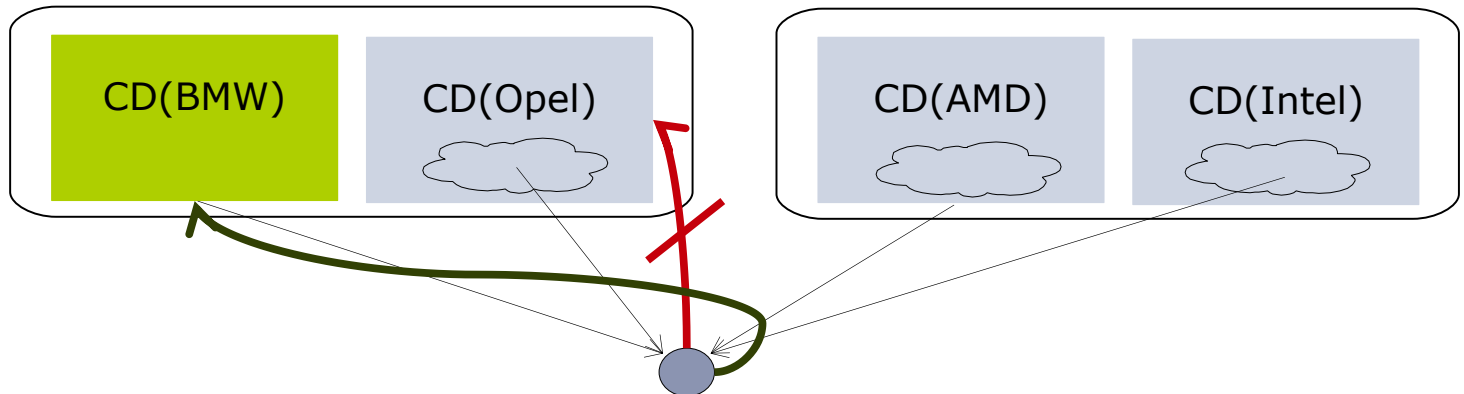
s can write o  $\Leftrightarrow$

s can read o

**and**

if s can read an unsanitized object o' then o' must belong to the same company as o

i.e.,  $\forall o'. s \text{ can read } o' \Rightarrow CD(o') = CD(o)$



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- **Take-Grant Protection Model**

Subjects S  
 Objects O  
 Entities  $E = S \cup O$   
 Rights R

Matrix: S x E x R

	O <sub>1</sub>	O <sub>2</sub>	S <sub>1</sub>	S <sub>2</sub>
S <sub>1</sub>	r, w	r	r, w	r
S <sub>2</sub>	r, w	-	w	r, w

Operations:

- read / write entity
- create subject / object
- destroy subject / object
- **enter / delete R into cell (s,o)**



Subjects      S  
 Objects      O  
 Entities       $E = S \cup O$   
 Rights        R

list of S x R tuples stored with every Entity

	O <sub>1</sub>	O <sub>2</sub>	S <sub>1</sub>	S <sub>2</sub>
S <sub>1</sub>	r, w	r	r, w	r
S <sub>2</sub>	r, w	-	w	r, w

## abbreviations:

- owner / group      e.g., Unix [user; group; all]
- wildcards            e.g., sysadmin\_\*

## conflicts:

- e.g., u - r; g + r      resolved by order of occurrence / rules

Subjects     S  
 Objects     O  
 Entities      $E = S \cup O$   
 Rights       R

list of E x R tuples stored with every subject

	O <sub>1</sub>	O <sub>2</sub>	S <sub>1</sub>	S <sub>2</sub>
S <sub>1</sub>	r, w	r	r, w	r
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more in a few minutes

# Principle of Attenuation

German: Abschwächung / Verminderung

A subject  $s$  must not be able to give away rights that it does not possess

	$O_1$	$O_2$	$S_1$	$S_2$
$S_1$	r, w	r	r, w	r
$S_2$	r, w	-	w	r, w

**Problem:** ACMs cannot enforce the principle of attenuation  
e.g.,  $s_1$ .enter w into  $(s_2, o_2)$

**Solution:**

replace "enter r into  $(s,o)$ " with:

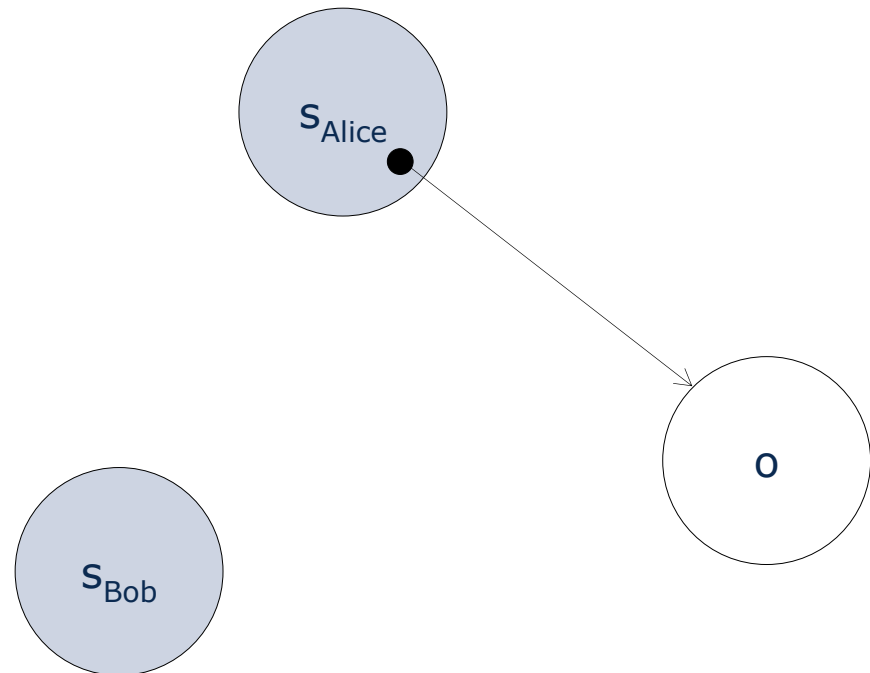
$s$ '.grant R into  $(s,o) :=$   
if  $R \subseteq (s',o)$  then enter R into  $(s,o)$

Definition: unforgeable token  $E \times R$

possession of a capability is necessary and sufficient to access the referenced entity

Operations:

- on objects
  - read / write
  - create / destroy
  
- on capabilities
  - take / grant
  - diminish / remove

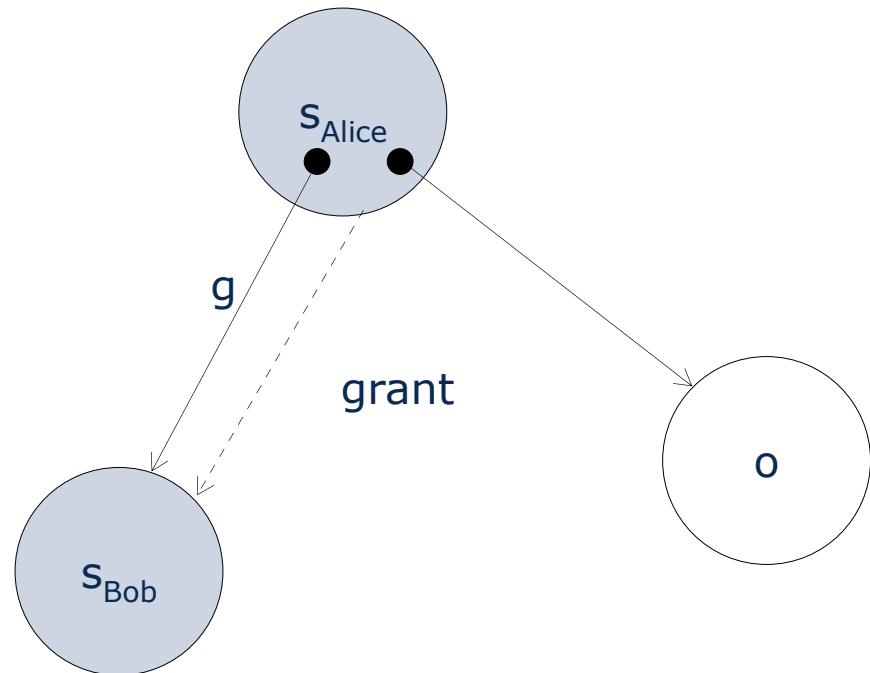


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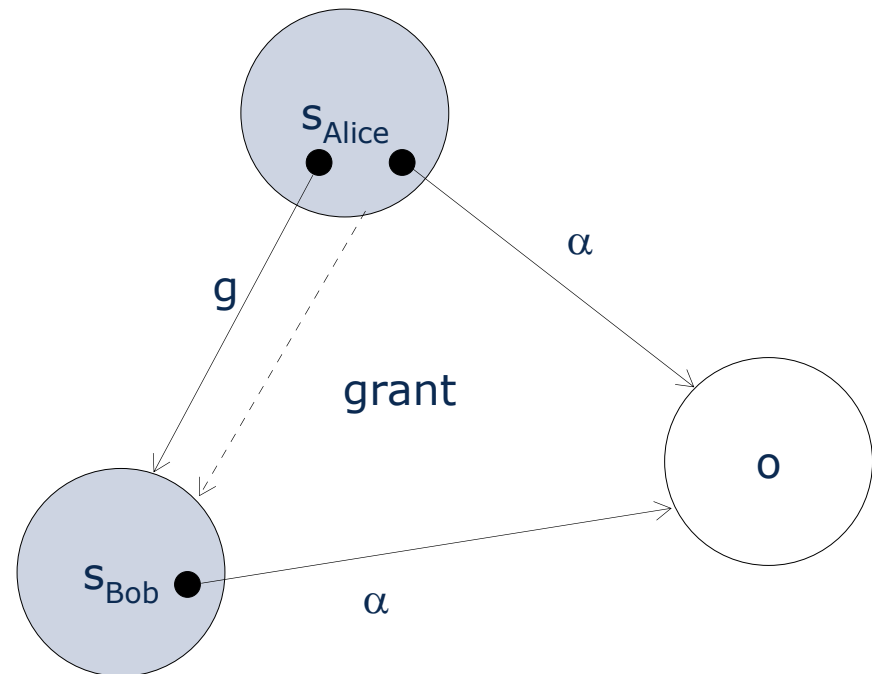


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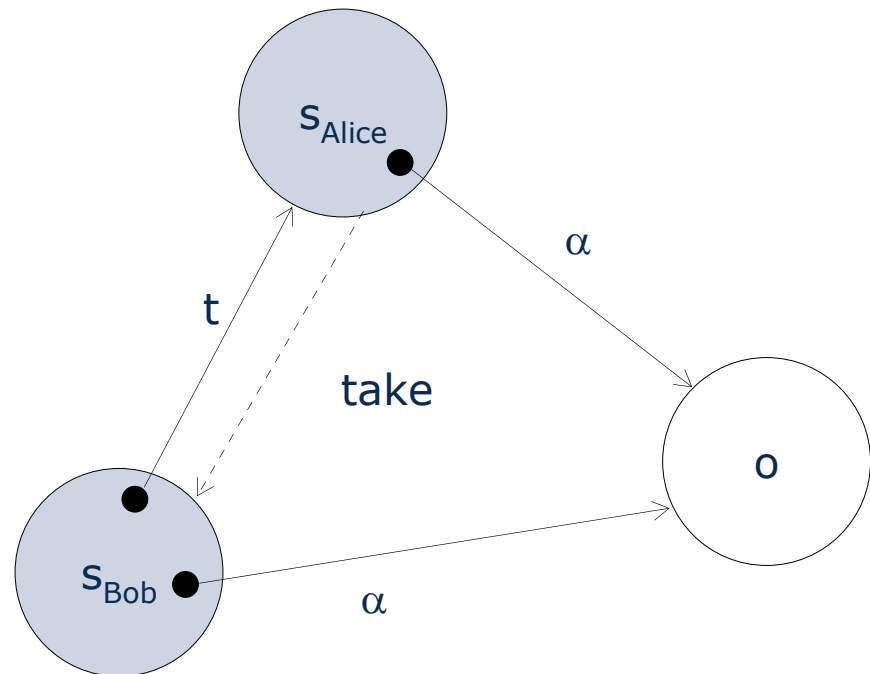


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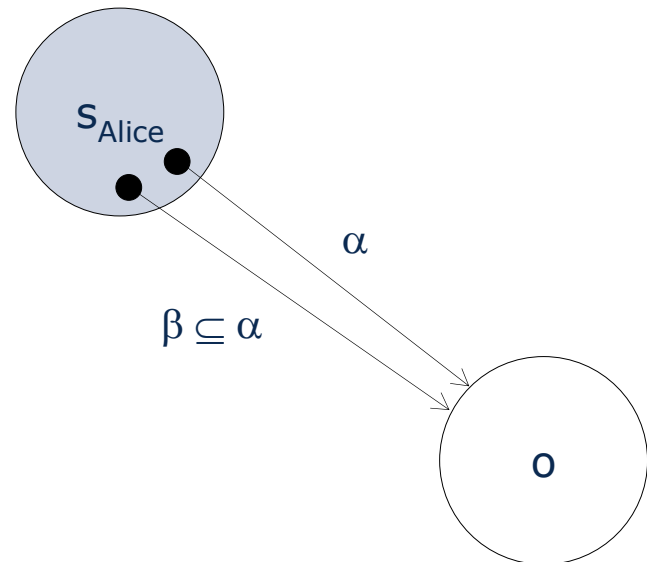


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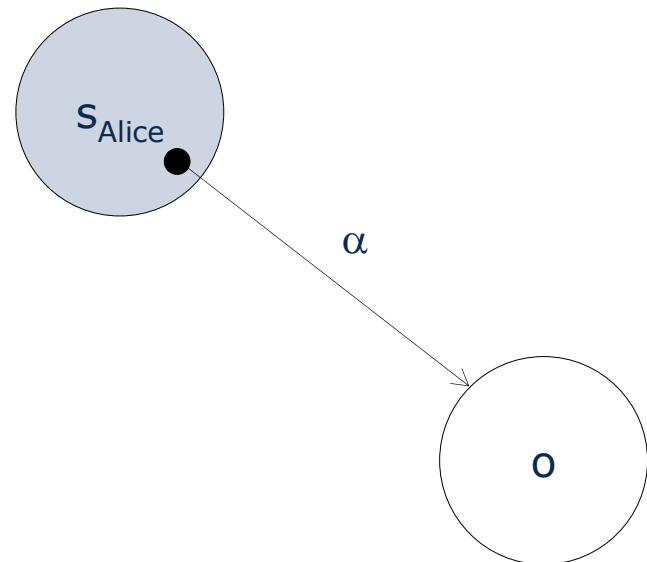


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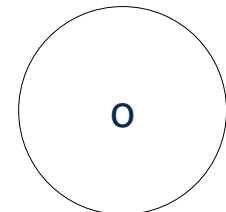
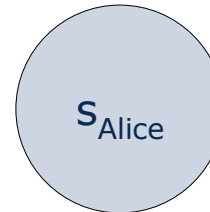


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## Implementation:

Software: OS protected segment / memory page

Hardware: Cambridge CAP / TLB

Cryptography: Amoeba

## Problems:

- How to control the propagation of capabilities?
- How to revoke capabilities?

Problem is dual to controlling ACM / ACL modifications

Permissions on channel capabilities:

take permission (t); grant permission (g)

Permission on the capability:

copy permission

Right-diminishing channels:

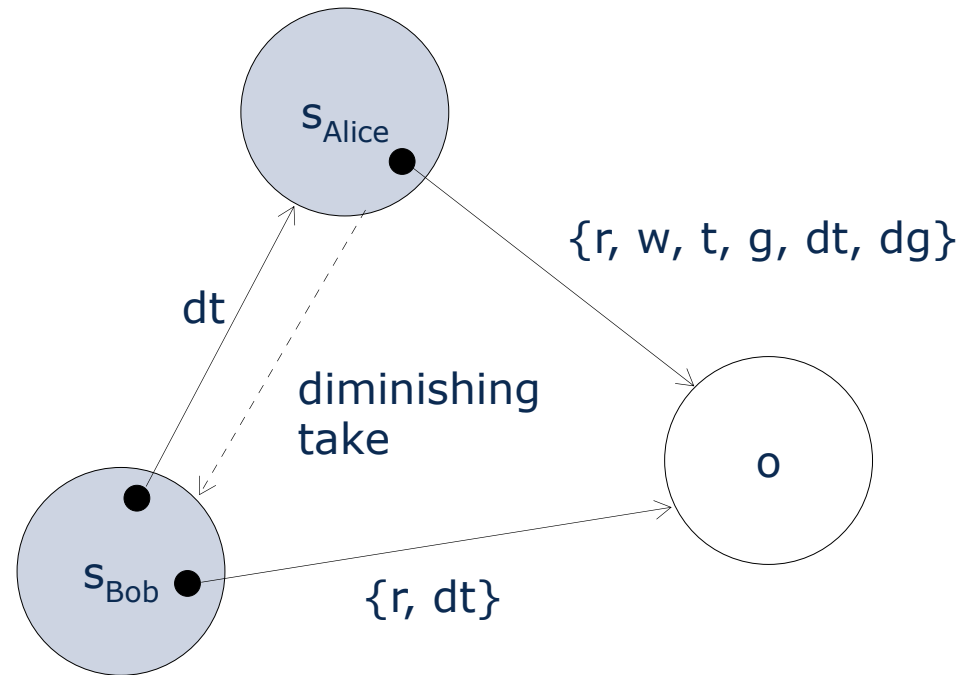
extension to the take-grant model by J. Shapiro

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  - diminish / remove
  - **diminishing take**
  - diminishing grant

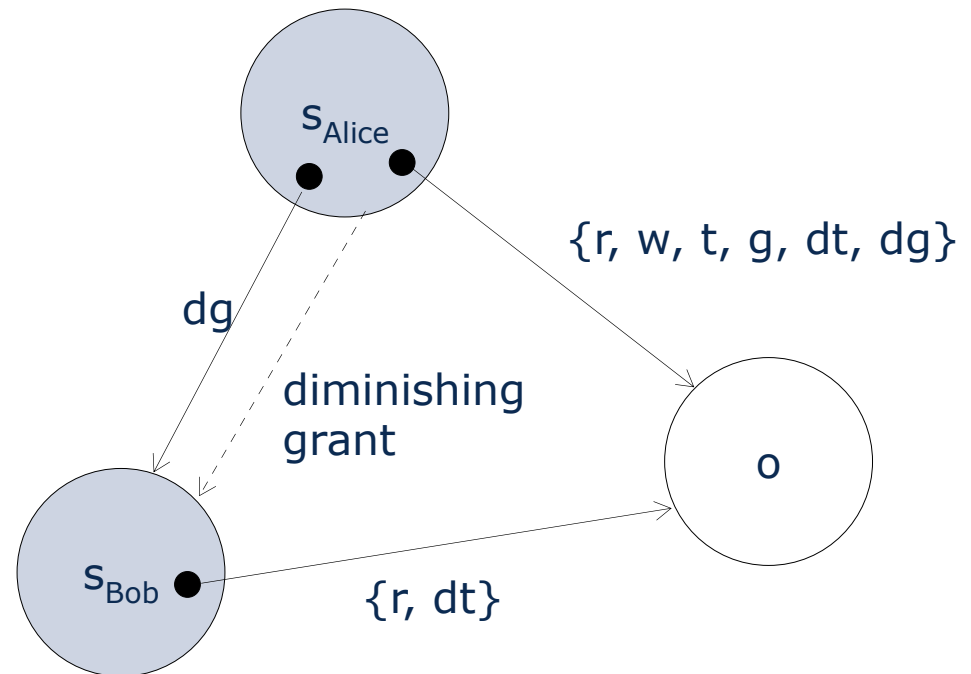


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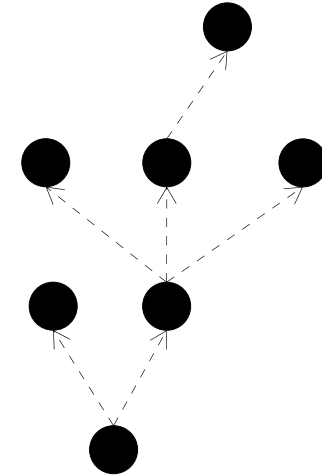
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  - take / grant
  - diminish / remove
  - diminishing take
  - **diminishing grant**



Amoeba: leases – invalid after a certain amount of time

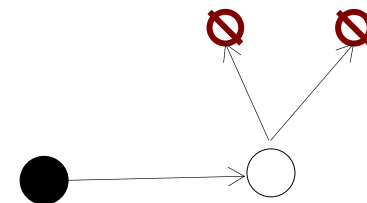
L4: find and invalidate all direct and indirect copies



Eros: indirection objects

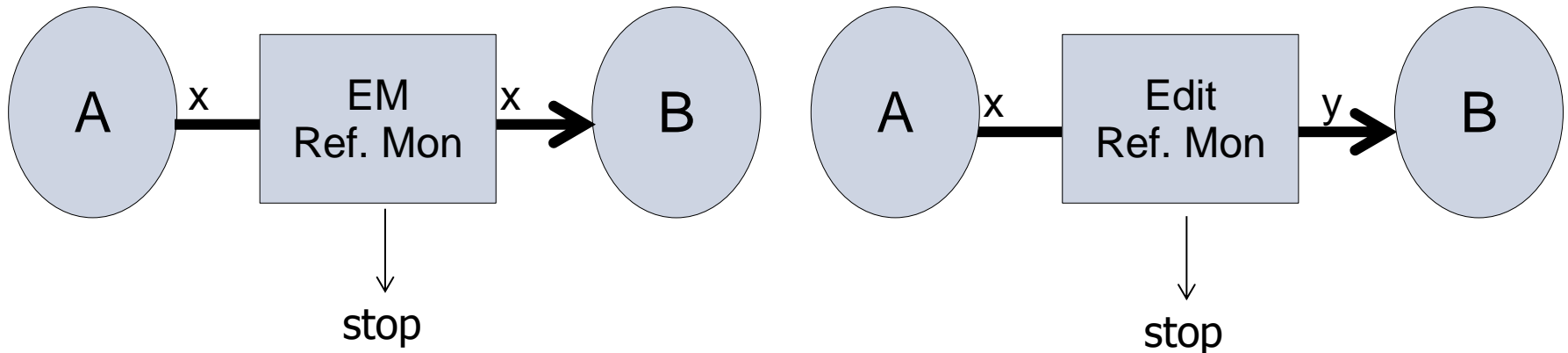
use stored capabilities  
but no take / grant

revoke by destruction



EM: suppress or pass

Edit: modify message

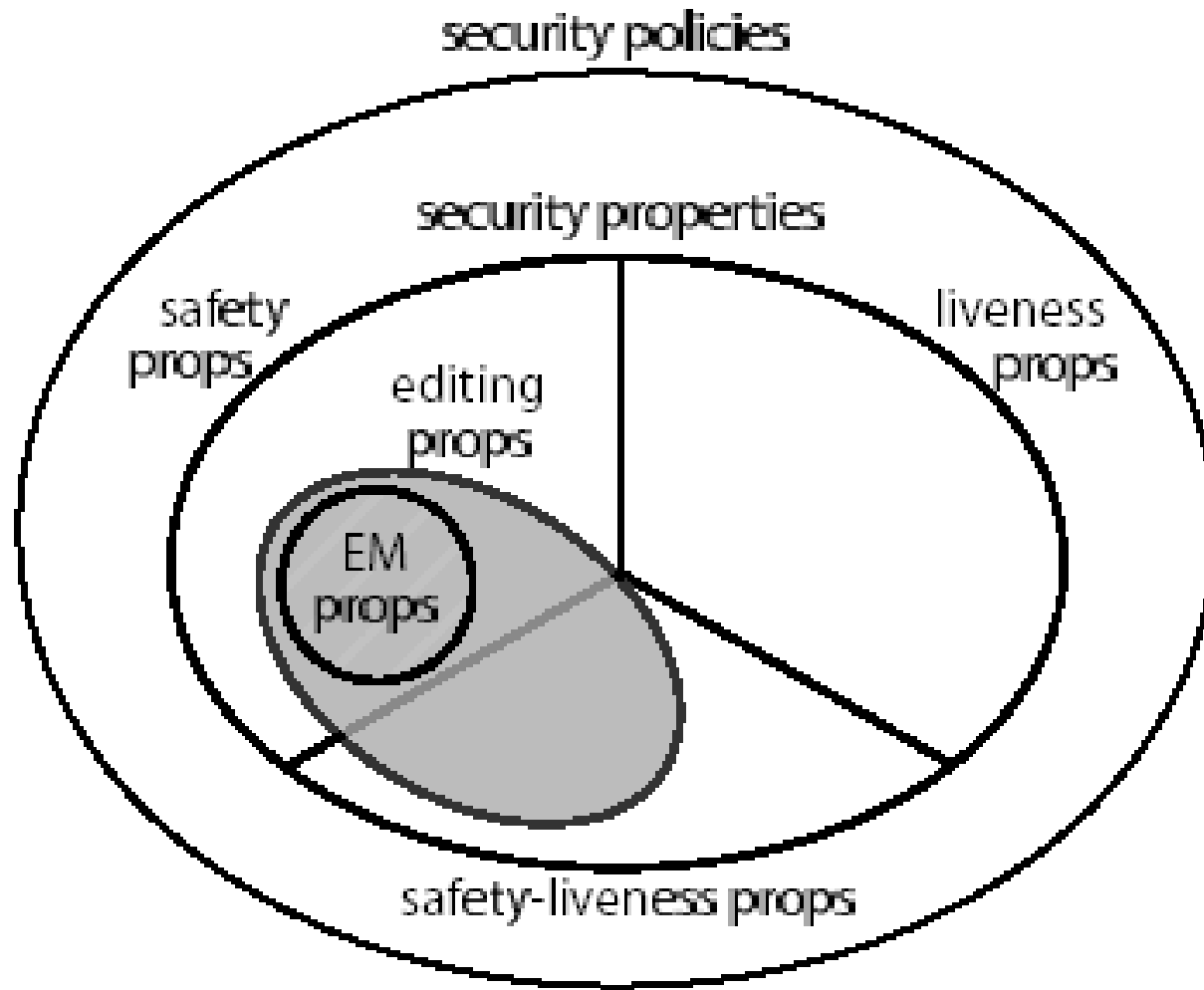


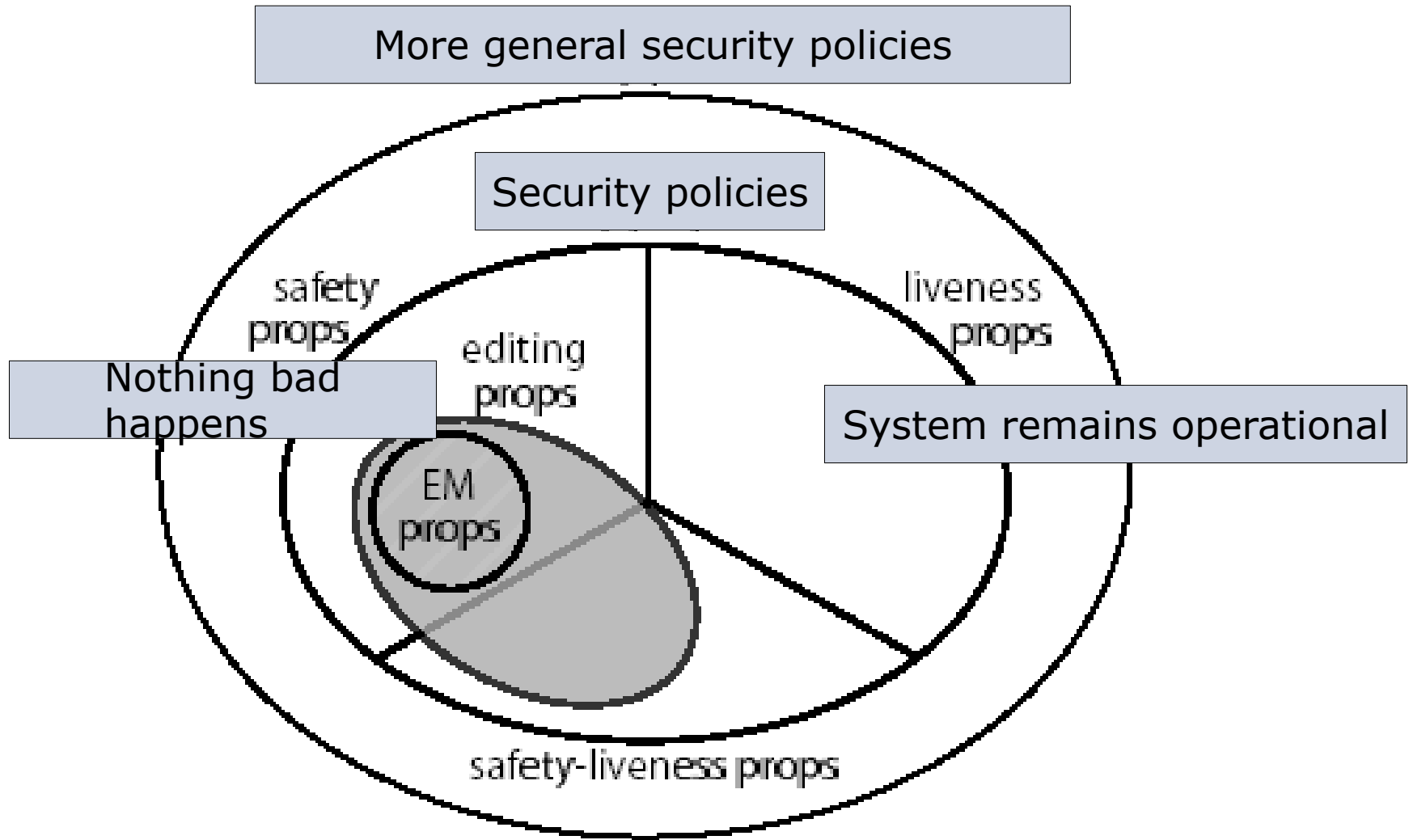
Schneider '98 / Bauer '02:

Theoretical results on the set of security policies that are enforceable with EM / Edit automata

**!!! Results are in part based on a different system model !!!**







- Introduction
- Example Proof
- Security Policies
- Policy Enforcement Mechanisms
- Undecidability of Leakage
- Take-Grant Protection Model

Given a system  $S$  and a security policy  $P$ , decide whether  $S$  can enter a state in which  $s$  can access  $o$  with right  $r$  (i.e., whether access right  $r$  is leaked into  $(s,o)$  ).

## Theorem:

For a system  $S$  with a generic ACM it is in general undecidable whether  $S$  leaks  $r$  into  $(s, o)$ .

## Proof:

by reduction to the halting problem

infinite tape

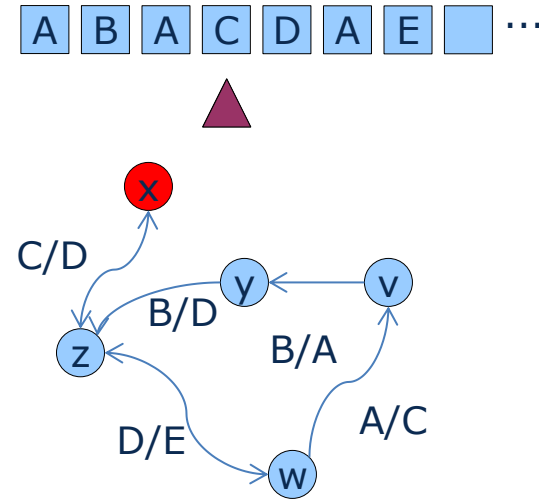
tape symbols

M: A, B, C, ...

state automaton

K: x, y, z, ...

head



Operations:

- read symbol at head
- perform a transition step of the automaton based on this symbol
- write a new symbol to the tape
- move head one step to the left or to the right

$$\delta: K \times M \rightarrow K \times M \times \{L, R\}$$

Given a turing machine TM and a program P, find a program of the TM that decides whether P will terminate (halt)

TM  $\cong$  universal TM  $\cong$  while

**Theorem:** the halting problem is undecidable

TM  $\cong$  universal TM  $\cong$  while

**Theorem:** the halting problem is undecidable

**Proof:** by contradiction

assume such a program P exists; write two programs:


```

does_P_terminate_on_input_E (P, E) :=
  if P(E) terminates { return true } else { return false }
  
```

```

test (P) := while (does_P_terminate_on_input_E(P, P))
  
```

now, if `does_P_terminate_on_input_E(test, test)` returns true, `test(test)` must terminate [*if condition*]

but then the condition of the while loop is true, which means `test(test)` will not terminate 

$\Rightarrow$  there cannot be a program that decides for all P, E whether P terminates on E

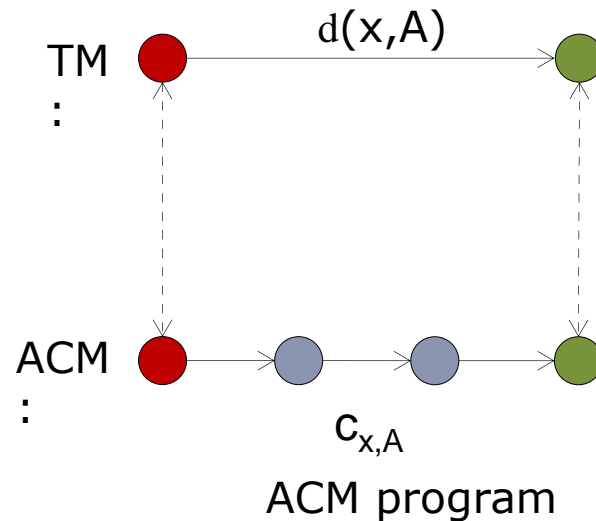
# Leakage is Undecidable

**Proof:** by reduction to the halting problem

1. Simulate a TM with the ACM
2. Define a correspondence relation such that  $r$  is leaked to  $(s,o) \iff$  TM halts

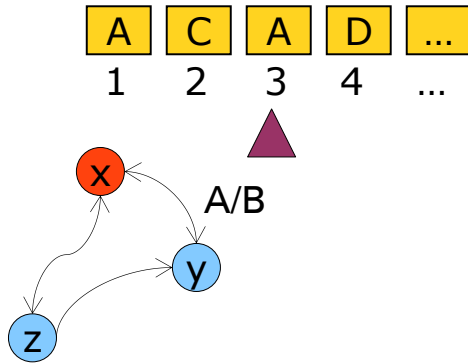
$\Rightarrow$  leakage in the ACM could be used to solve the halting problem, which is known to be undecidable

$\Rightarrow$  leakage is undecidable



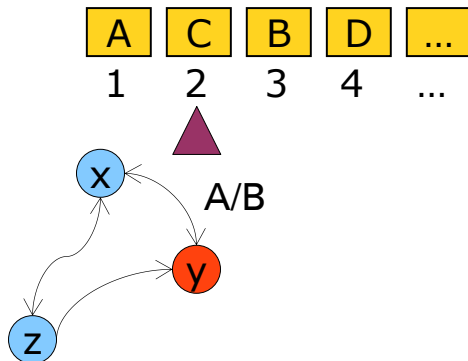


# Simulating a TM with an ACM



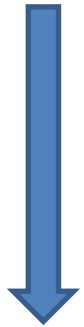
	$s_1$	$s_2$	$s_3$	$s_4$
$s_1$	A			
$s_2$		C		
$s_3$			A, x	
$s_4$				D

$\delta: (x, A) \rightarrow (y, B, L)$

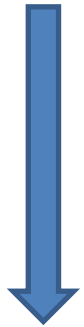
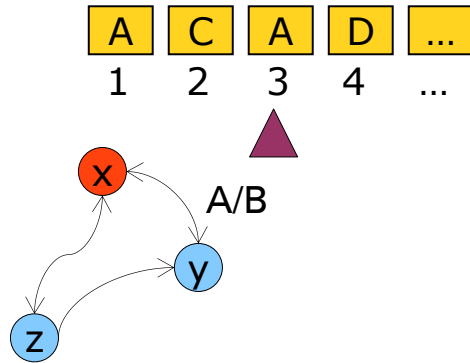


### ACM Operations:

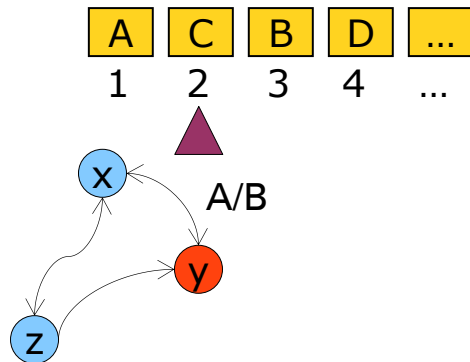
- create subject  $s$
- create object  $o$
- destroy subject  $s$
- destroy object  $o$
- enter  $r$  into  $(s, o)$
- delete  $r$  from  $(s, o)$



# Simulating a TM with an ACM



$$\delta: (x, A) \rightarrow (y, B, L)$$



	S <sub>1</sub>	S <sub>2</sub>	S <sub>3</sub>	S <sub>4</sub>
S <sub>1</sub>	A			
S <sub>2</sub>		C		
S <sub>3</sub>			A, x	
S <sub>4</sub>				D

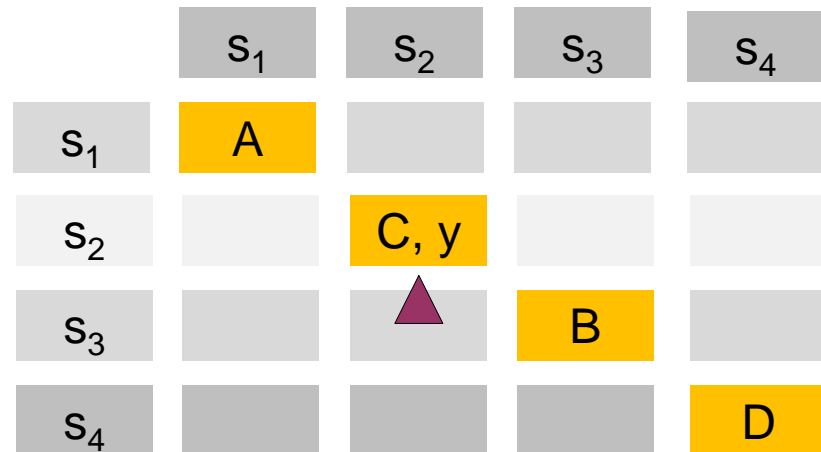
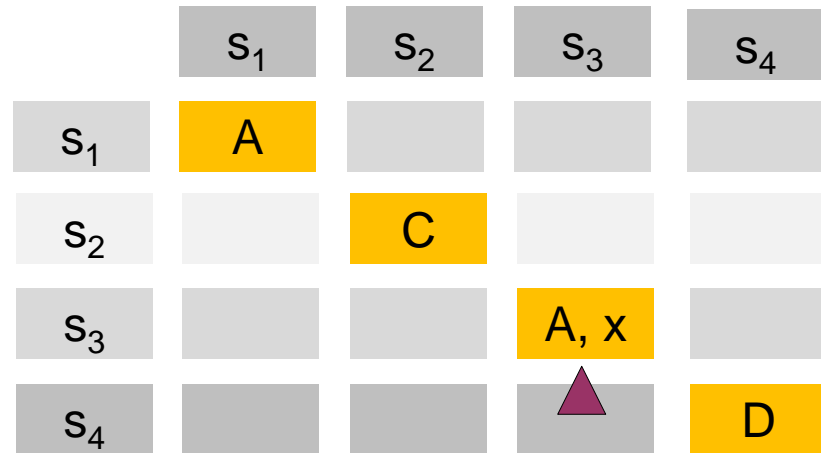
	S <sub>1</sub>	S <sub>2</sub>	S <sub>3</sub>	S <sub>4</sub>
S <sub>1</sub>	A			
S <sub>2</sub>		C, y		
S <sub>3</sub>			B	
S <sub>4</sub>				D

# Simulating a TM with an ACM

$$\delta: (x, A) \rightarrow (y, B, L)$$

$$C_{x,A}(s_{\text{head}}, s_{\text{left}}) :=$$

**if**  $x \in (s_{\text{head}}, s_{\text{head}}) \wedge$   
 $A \in (s_{\text{head}}, s_{\text{head}})$   
**then**  
 ...



# Simulating a TM with an ACM

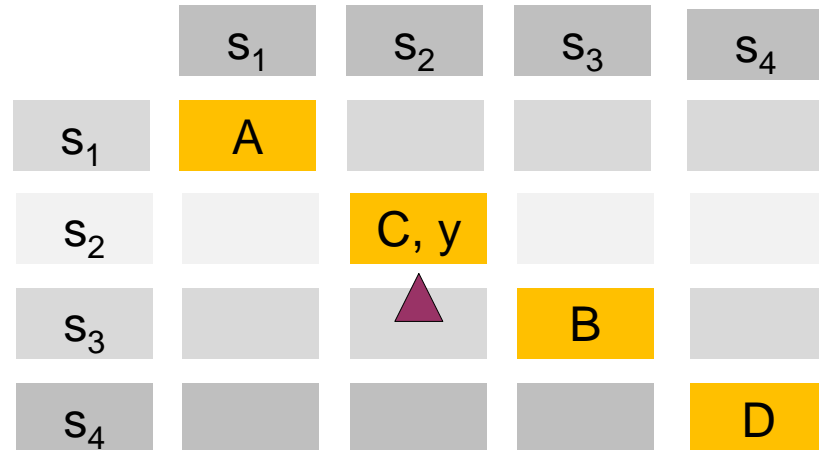
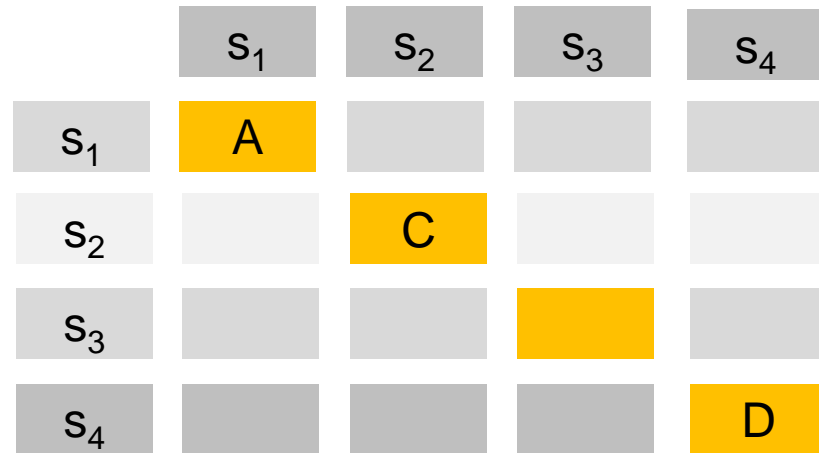
 $\delta: (x, A) \rightarrow (y, B, L)$ 
 $C_{x,A}(s_{\text{head}}, s_{\text{left}}) :=$ 

**if**  $x \in (s_{\text{head}}, s_{\text{head}}) \wedge$   
 $A \in (s_{\text{head}}, s_{\text{head}})$

**then**

delete  $x, A$  from  $(s_{\text{head}}, s_{\text{head}})$

...



# Simulating a TM with an ACM

 $\delta: (x, A) \rightarrow (y, B, L)$ 
 $C_{x,A}(s_{\text{head}}, s_{\text{left}}) :=$ 

**if**  $x \in (s_{\text{head}}, s_{\text{head}}) \wedge$   
 $A \in (s_{\text{head}}, s_{\text{head}})$

**then**

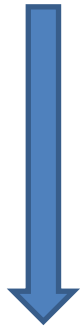
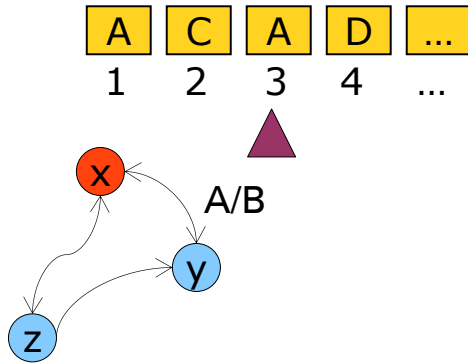
delete  $x, A$  from  $(s_{\text{head}}, s_{\text{head}})$   
 enter  $B$  into  $(s_{\text{head}}, s_{\text{head}})$   
 enter  $y$  into  $(s_{\text{left}}, s_{\text{left}})$

...

	$s_1$	$s_2$	$s_3$	$s_4$
$s_1$	A			
$s_2$		C,y		
$s_3$			B	
$s_4$				D

	$s_1$	$s_2$	$s_3$	$s_4$
$s_1$	A			
$s_2$		C, y		
$s_3$		▲	B	
$s_4$				D

# Simulating a TM with an ACM



$$\delta: (x, A) \rightarrow (y, B, L)$$

$$C_{x,A}(s_{\text{head}}, s_{\text{left}}) := \dots$$

x is leaked into (s<sub>i</sub>, s<sub>i</sub>)



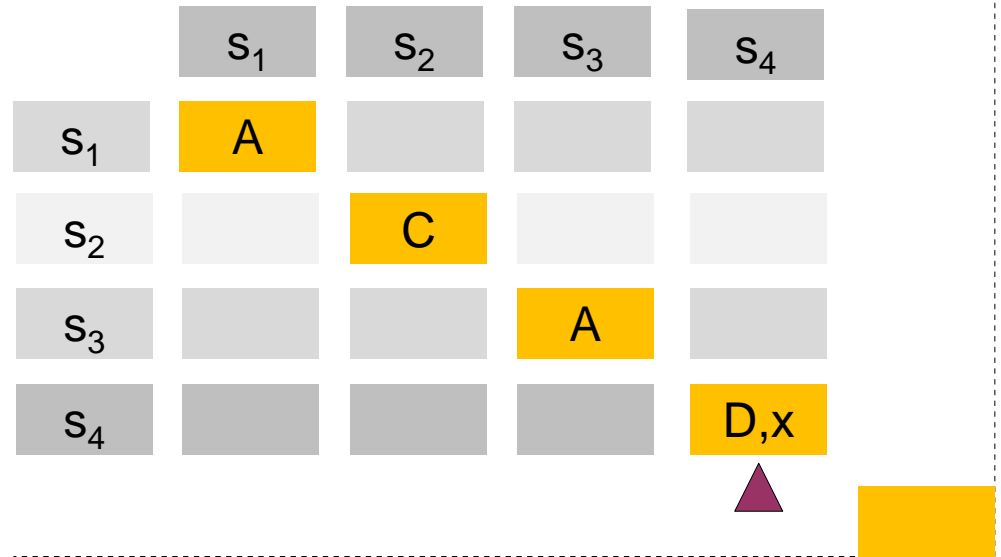
TM halts in x

	s <sub>1</sub>	s <sub>2</sub>	s <sub>3</sub>	s <sub>4</sub>
s <sub>1</sub>	A			
s <sub>2</sub>		C		
s <sub>3</sub>			A, x	
s <sub>4</sub>			▲	D

	s <sub>1</sub>	s <sub>2</sub>	s <sub>3</sub>	s <sub>4</sub>
s <sub>1</sub>	A			
s <sub>2</sub>		C, y		
s <sub>3</sub>		▲	B	
s <sub>4</sub>				D

Problem 1:

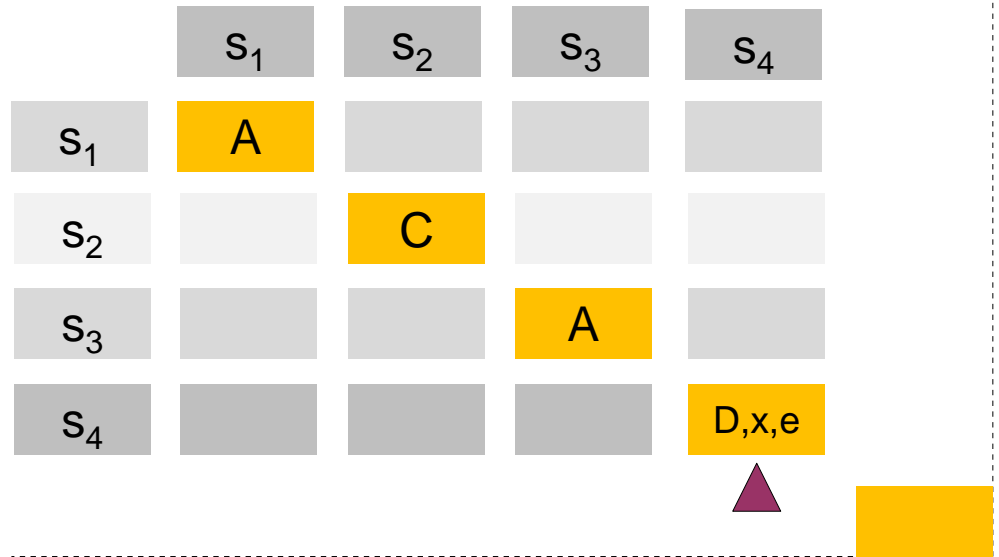
How to detect if we are at the last cell?



# Simulating a TM with an ACM

Problem 1:

How to detect if we are at the last cell?





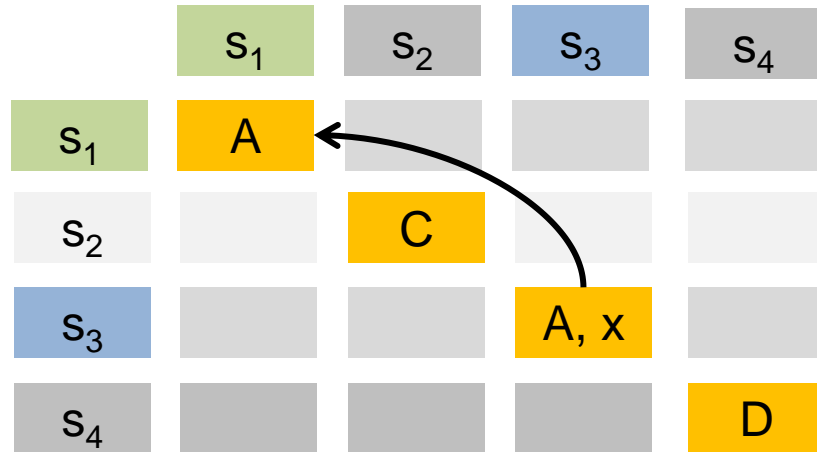
# Simulating a TM with an ACM

Problem 2:

How do we restrict the ACM to only execute the TM program?

$$c_{x,A}(s, s') := \dots$$

applies to all  $s, s'$  pairs; not only neighboring



Problem 2:

How do we restrict the ACM to only execute the TM program?

$$c_{x,A}(s, s') := \dots$$

applies to all  $s, s'$  pairs; not only neighboring

	s <sub>1</sub>	s <sub>2</sub>	s <sub>3</sub>	s <sub>4</sub>
s <sub>1</sub>	A	I		
s <sub>2</sub>		C	I	
s <sub>3</sub>			A, x	I
s <sub>4</sub>				D

- Introduction
- Example Proof
- Security Policies
- Policy Enforcement Mechanisms
- Undecidability of Leakage
- **Take-Grant Protection Model**

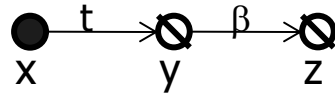
# Take Grant Protection Model

Vertices: ○ object, ● subject ( ⊗ either object or subject)

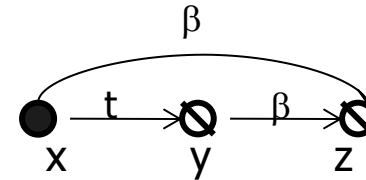
Edges: ●  $\xrightarrow{r}$  ○ subject has capability with r right on object

Transition Rules:

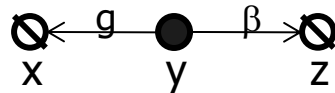
- Take



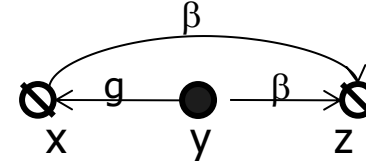
⊢



- Grant



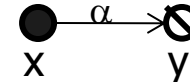
⊢



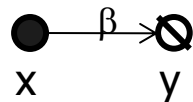
- Create



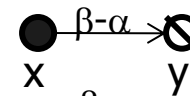
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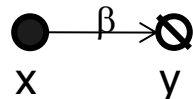
- Remove



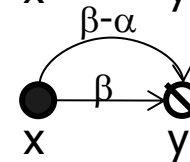
⊢



- Diminish

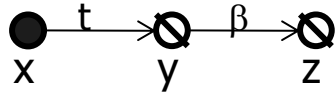


⊢

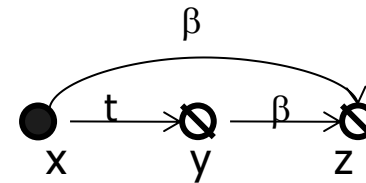


A few Lemmas:

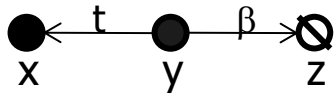
- Take



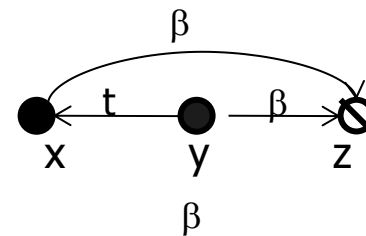
$\vdash$



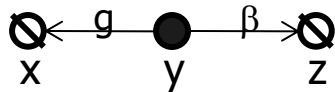
- Lemma 1:



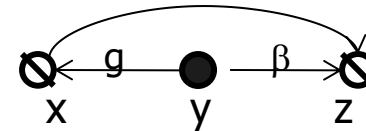
$\vdash^*$



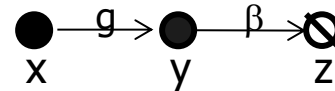
- Grant



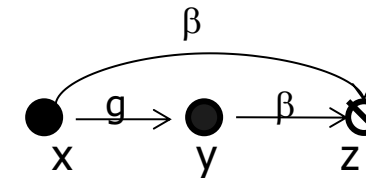
$\vdash$



- Lemma 2:

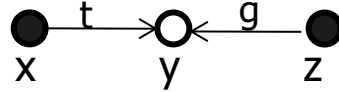


$\vdash^*$

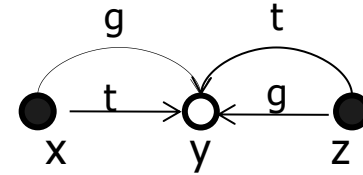


A few Lemmas:

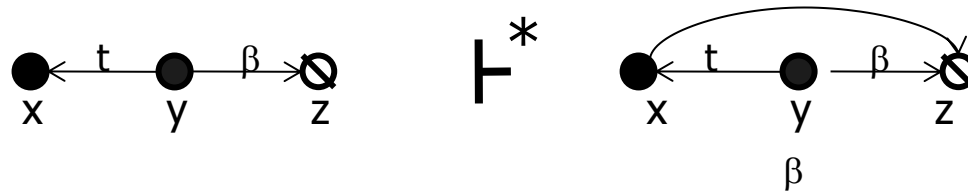
- Lemma 3:



$\vdash^*$



## Proof of Lemma 1



x.create v (tg)  
 y.take g on v  
 y.grant β on z to v  
 x.take β on z from v

Lemmas 2 and 3 are left for the exercises

## Theorem:

Leakage in the Take-Grant Protection Model is decidable  
(in linear time)

## Proof Sketch:

construct potential access graph  $G$   
apply take + grant + 3 lemmas until  $G$  does  
not change anymore

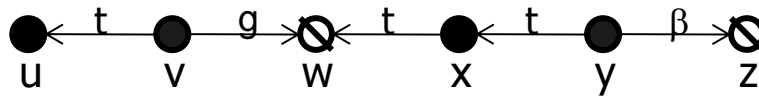
$r$  is leaked to  $(s,o)$  if  $s$  holds  $(o, r)$  in the potential  $G$

## Note:

- delete / diminish / remove only reduce access  
=> they can be omitted for the construction of  $G$
- create introduces new entities which cannot get more  
privileged than their creators

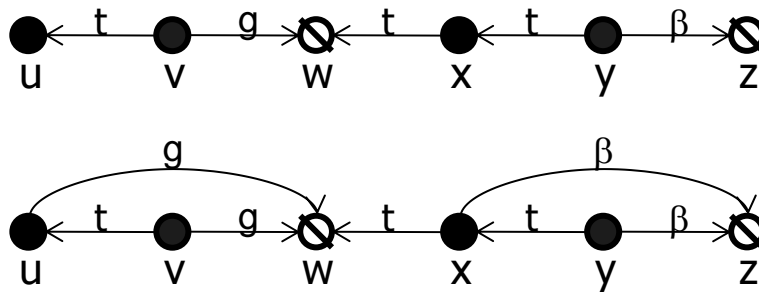


## Example:



$\vdash^*$  by Lemma 1

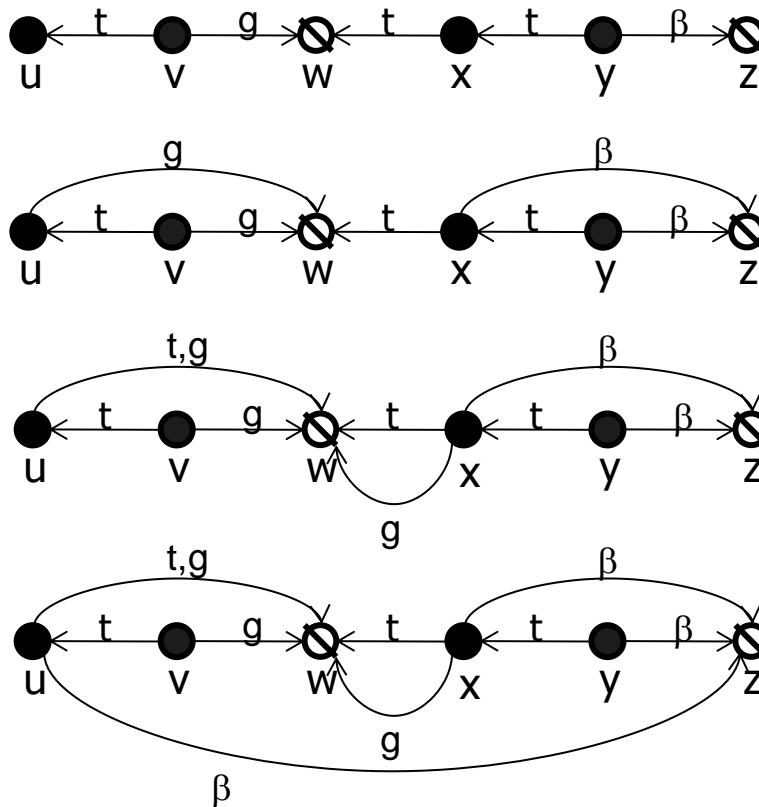
## Example:



$\vdash^*$  by Lemma 1

$\vdash^*$  by Lemma 3

## Example:



$\vdash^*$  by Lemma 1

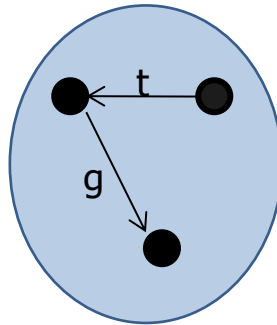
$\vdash^*$  by Lemma 3

$\vdash^*$  x.grant  $\beta$  on z to w  
u.take  $\beta$  on z from w

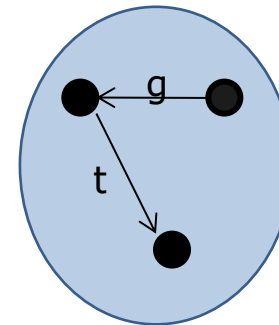
Islands and bridges: leakage in TG is decidable in linear time

- need to consider only t,g edges for building the graph
- Lemmas 1, 2  $\Rightarrow$  t v g edge between subjects  $\Rightarrow$  full rights exchange

Islands



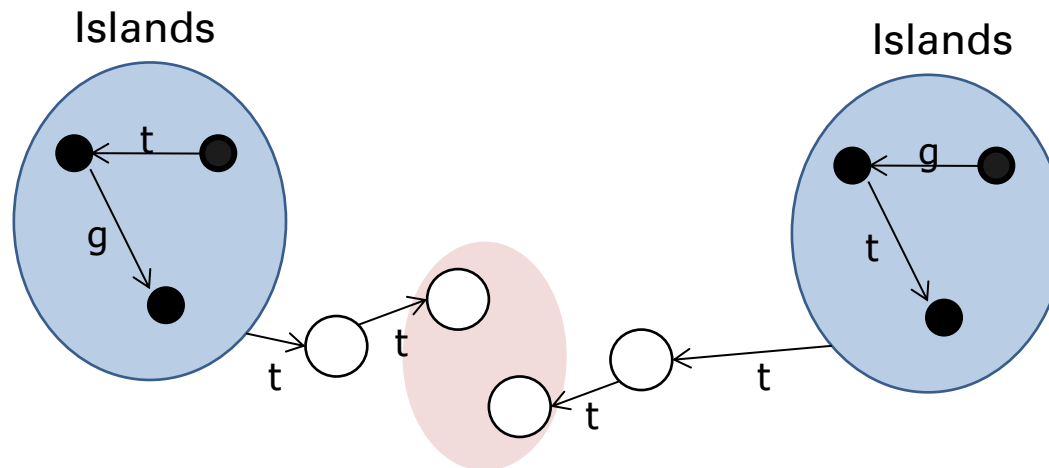
Islands



# Take Grant Protection Model

Islands and bridges: towards deciding leakage in linear time

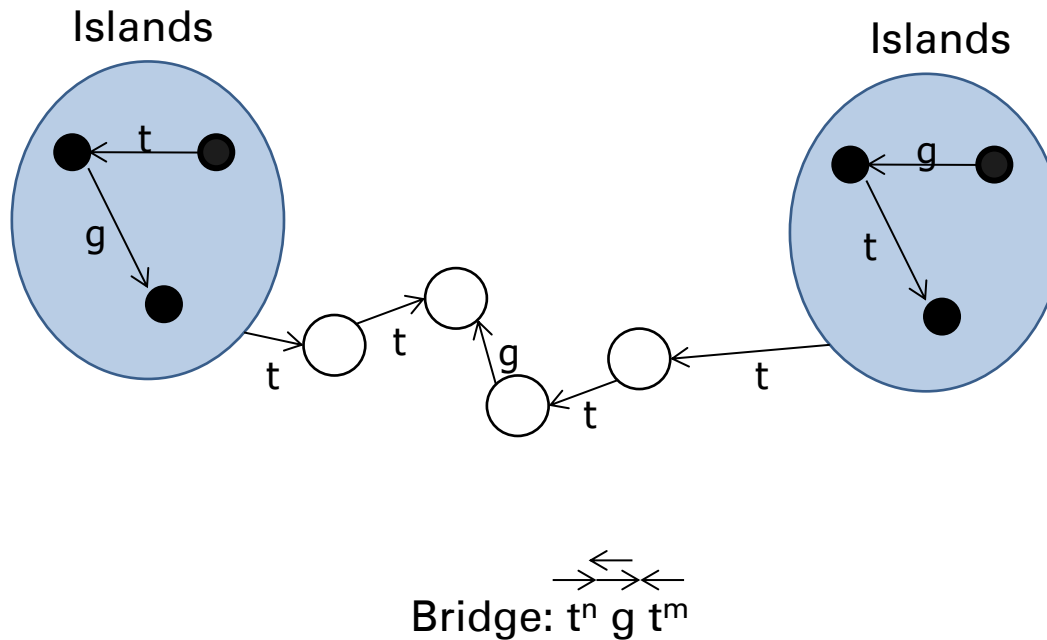
- need to consider only t,g edges for building the graph
- Lemmas 1, 2  $\Rightarrow$  t v g edge between subjects  $\Rightarrow$  full rights exchange



# Take Grant Protection Model

Islands and bridges: towards deciding leakage in linear time

- need to consider only t,g edges for building the graph
- Lemmas 1, 2 => t v g edge between subjects => full rights exchange



- Certification
  - Assuring system security
- Verification Example
- Security Policies
  - Confidentiality (MLS), Integrity (Biba), mixed (Chinese Wall)
- Policy Enforcement Mechanisms
  - ACLs, Capabilities, Monitors
- Undecidability of Leakage
  - ACM implements turing machine
- Take-Grant Protection Model
  - Leakage is decidable in linear time

- B. Lampson: A note on the confinement problem
- **Matt Bishop – Text Book: Computer Security – Art and Science**
- P. Gallagher: A Guide to Understanding the Covert Channel Analysis of Trusted Systems [TCSEC – CC Guide]
- Proctor, Neumann: Architectural Implications of Covert Channels
- Sabelfeld, Myers: Language-based information-flow security
- Karger, Wray: Storage Channels in Disk Arm Optimizations
- Alpern, Schneider 87: Recognizing safety and liveness
- Alves, Schneider: Enforceable security policies
- Walker, Bauer, Ligatti: More enforceable security policies
- Osvik, Shamir, Tromer: Cache Attacks and Countermeasures: the Case of AES
- Denning 67: A Lattice Model of Secure Information Flow
- Denning: Certification of programs for secure information flow.
- Hunt, Sands: On flow-sensitive security types
- Volpano, Irvine, Smith: A sound type system for secure inform. flow analysis
- Warnier: Statically checking confidentiality via dynamic labels
- Zheng, Myers: End-to-End Availability Policies and Noninterference
- Shapiro, Smith, Farber: EROS: A Fast Capability System
- Klein, Heiser + seL4: Verifying an Operating System Kernel